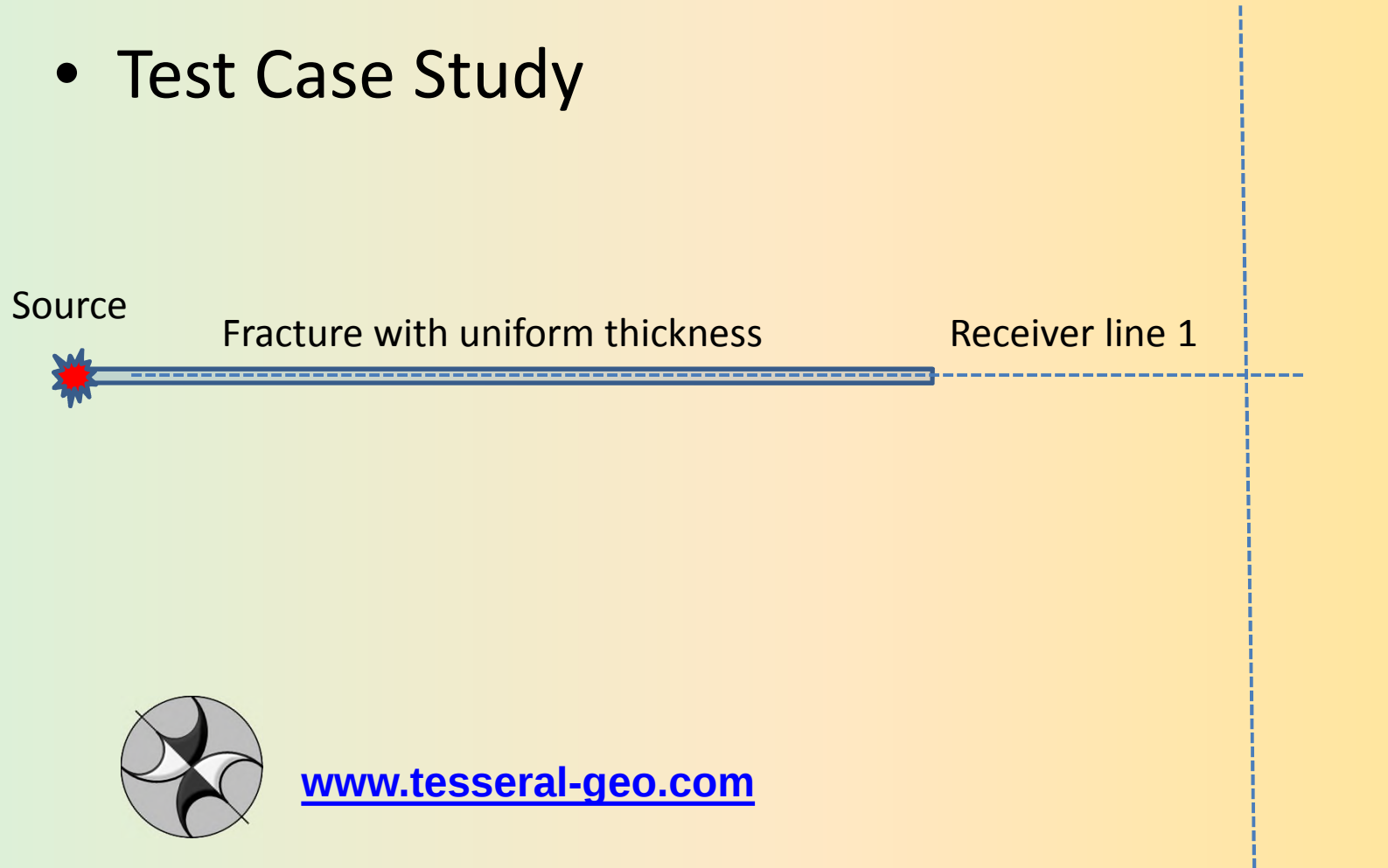


Modeling of Krauklis waves in Tesseral

- Test Case Study

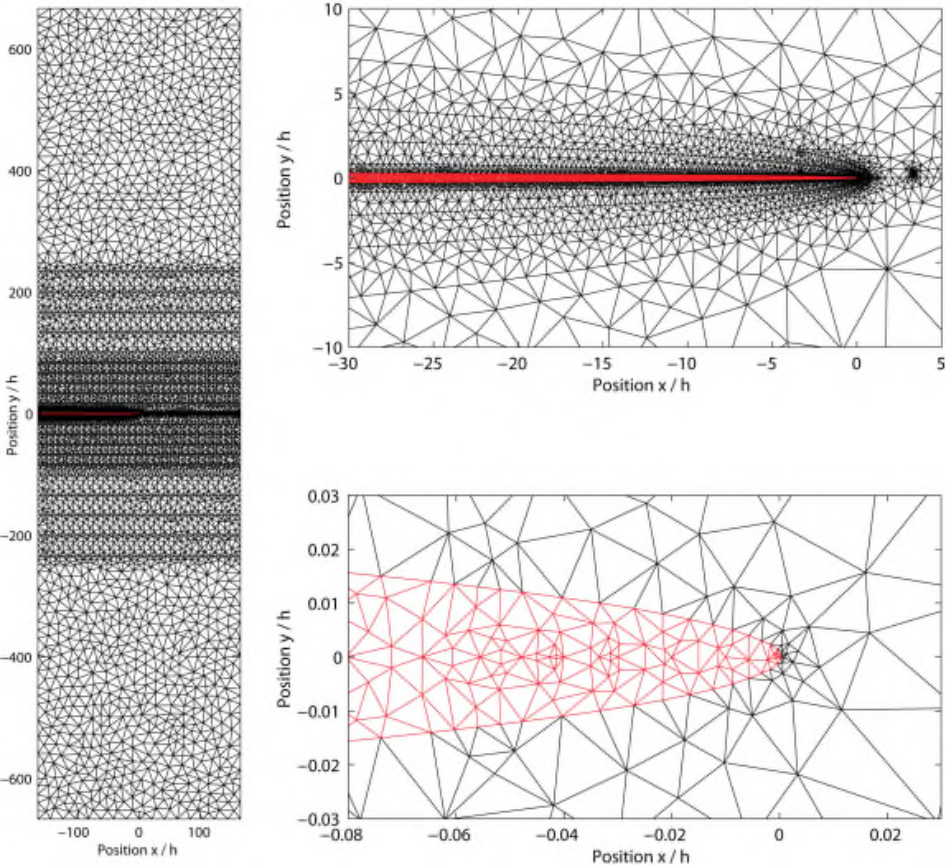


www.tesseral-geo.com

Finite-Element Simulations

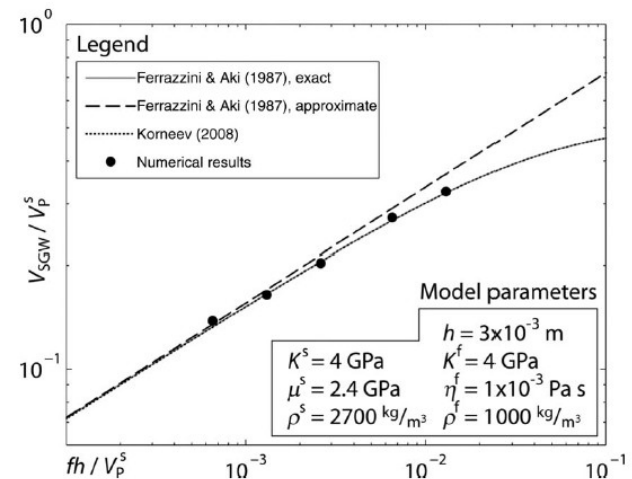
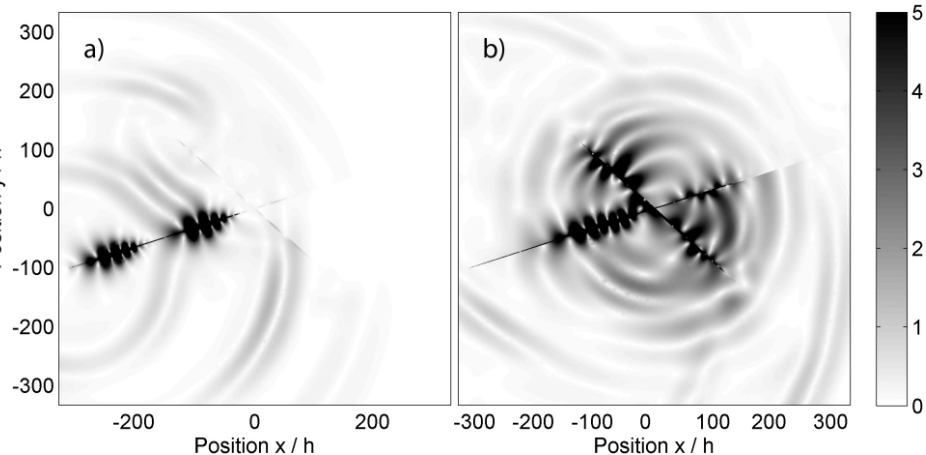
Two intersecting fractures model

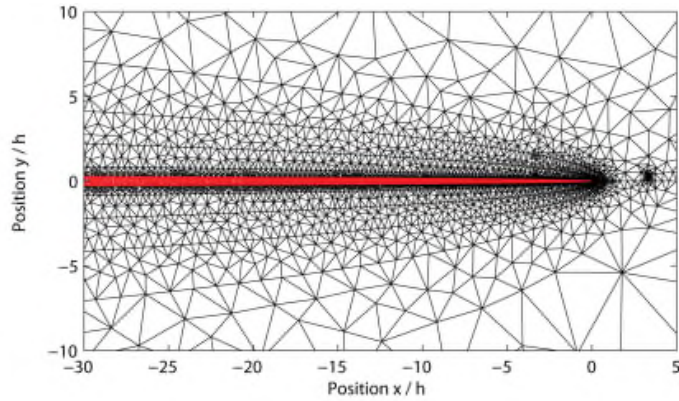
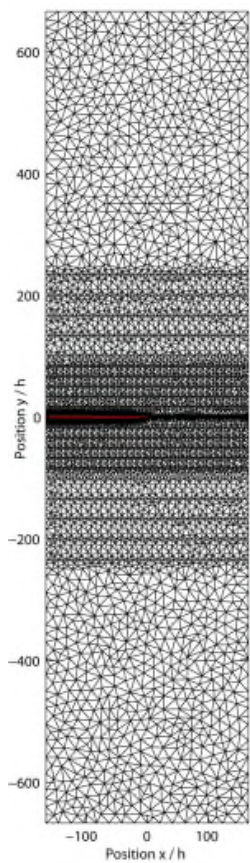
FE grid



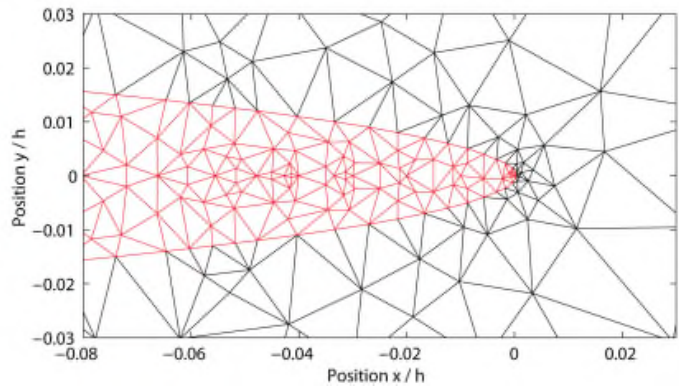
Time = 7.8058e-004

Time = 1.2840e-003

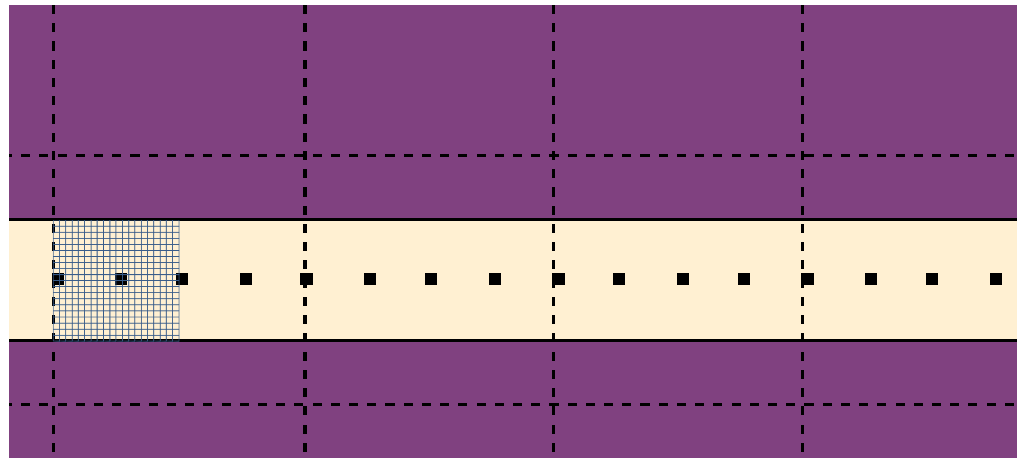




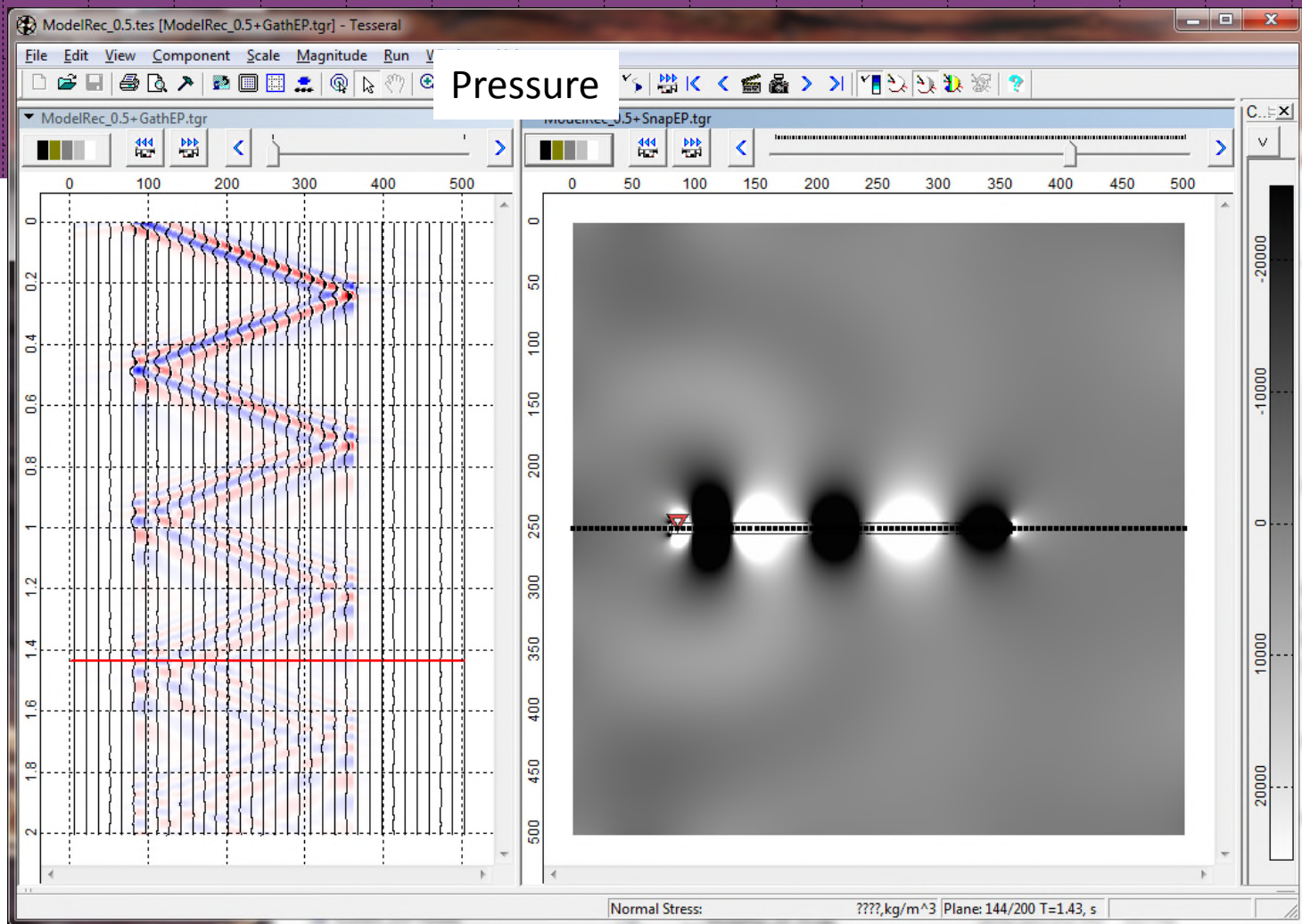
FE grid

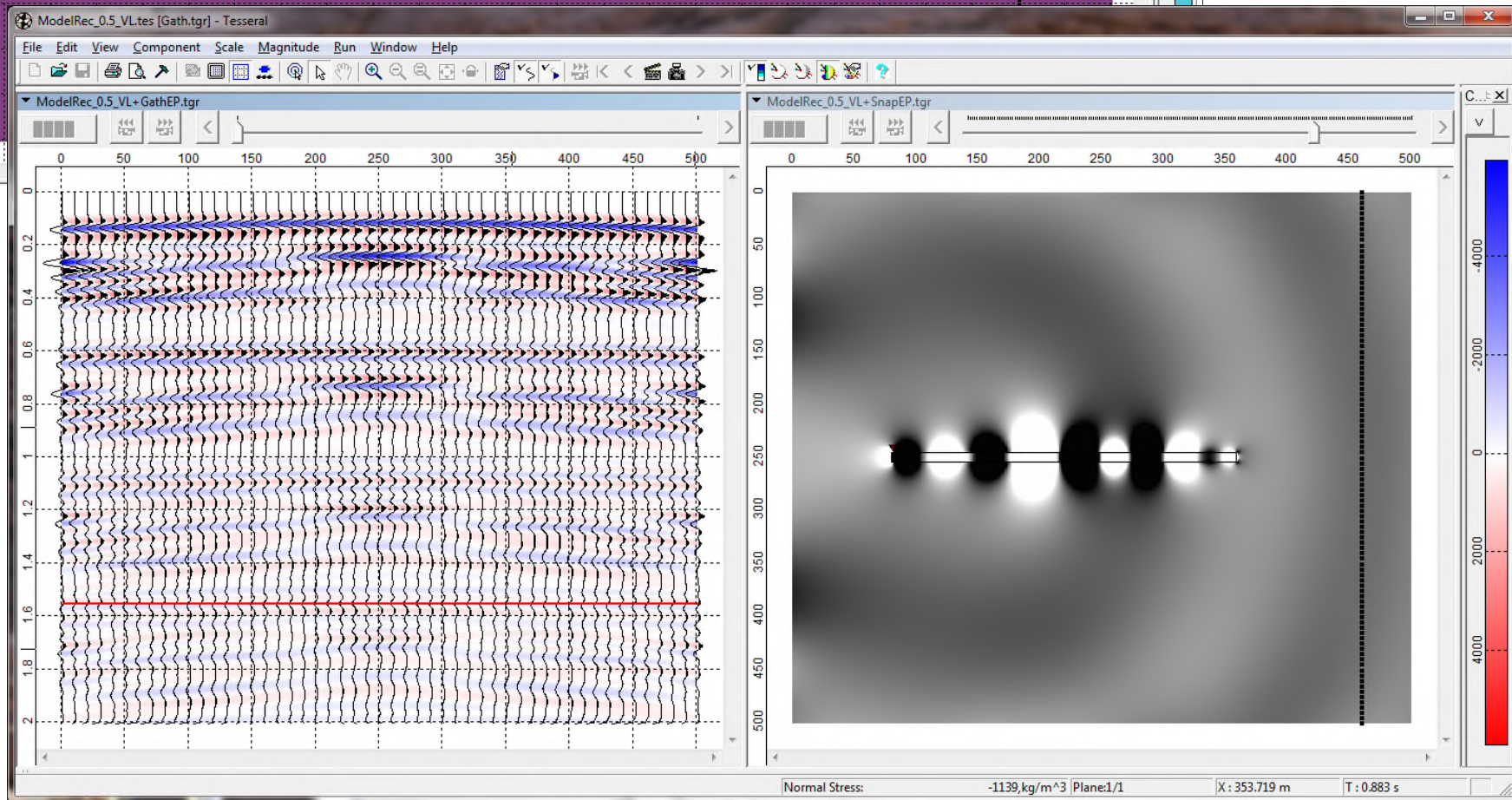
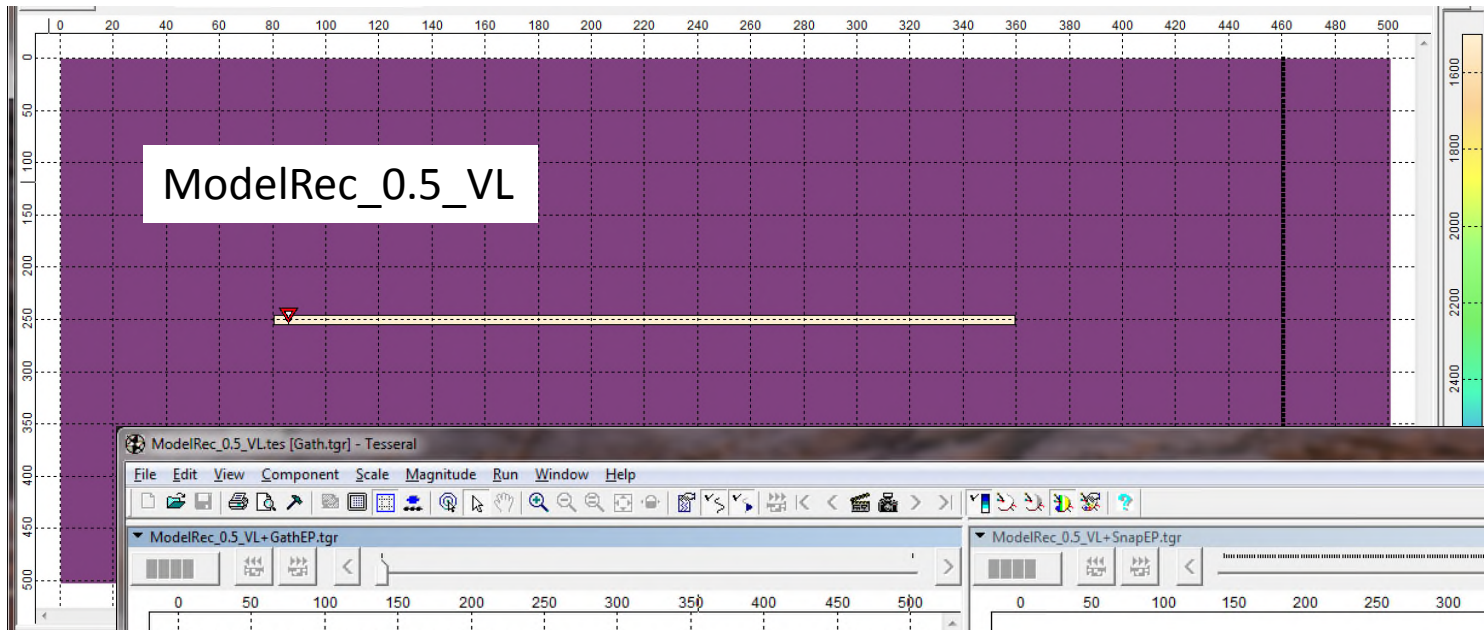


Relative dimensions of
Fracture with 10 cm width
and computation grid cell size
0.5 cm (shown 20x20 cells)
modeled in Tesseral FD grid



ModelRec_0.5





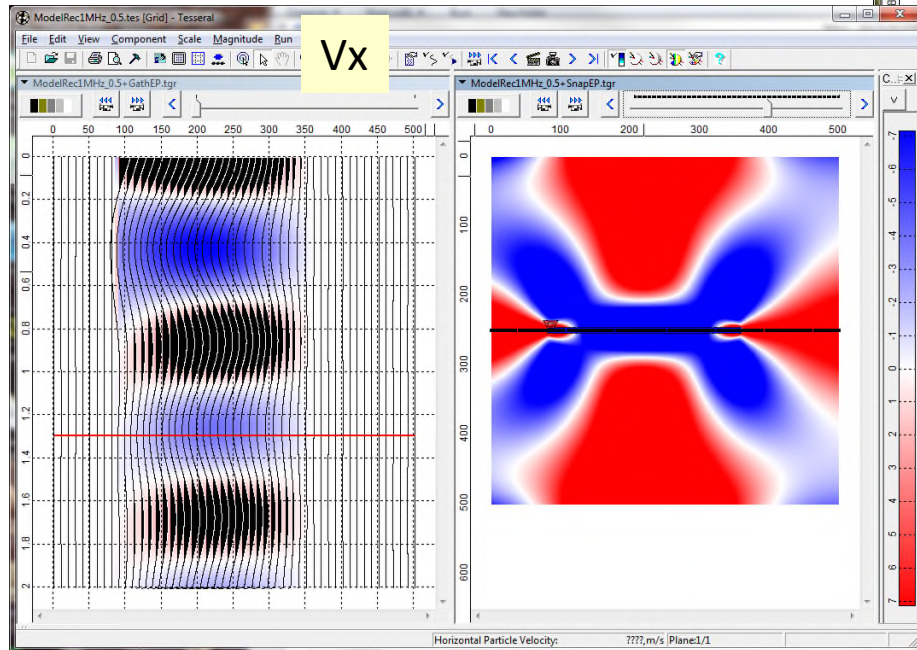
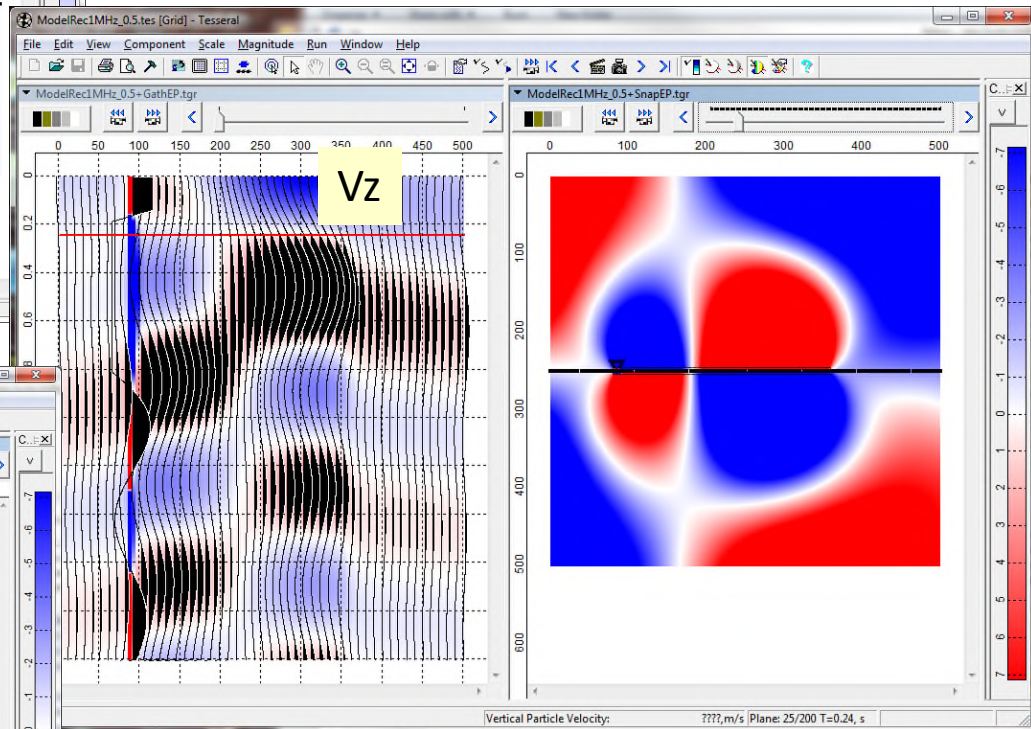
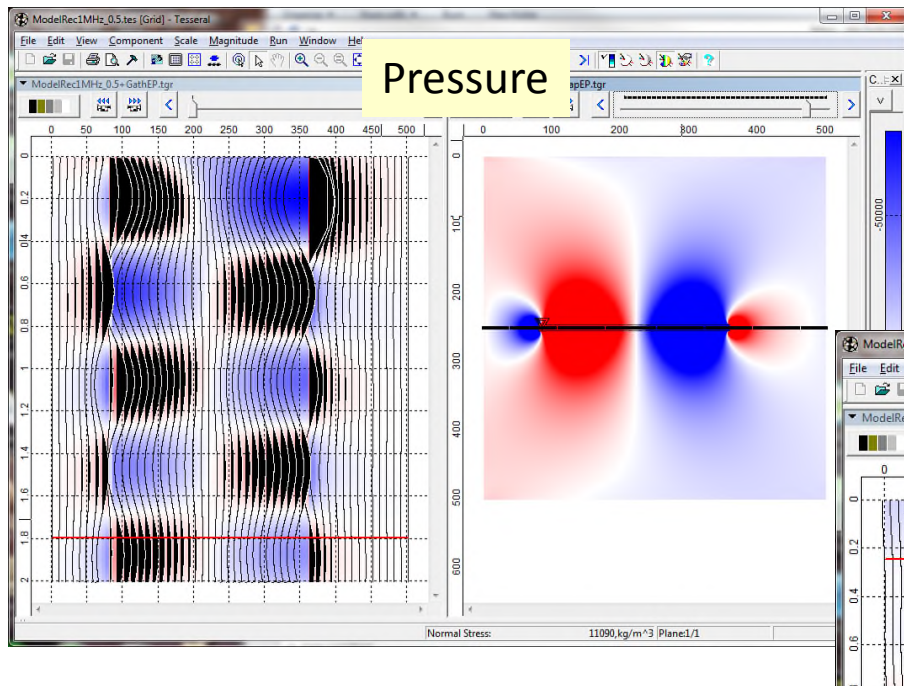
Propagation velocity of “beans”
can be measured by series of
wavefield snapshots

Shown with red arrow
“bean” wave is
propagating along fracture
in direction shown with
yellow arrow

Snapshot #31:
Center of wave is 300
mm (scaled)
time is 300 mcs (scaled)

Calculated velocity of “bean”
wave propagation is
 $100 \text{ mm}/100 \text{ ms} \sim$
 $1 \text{ mm}/\text{mcs} =$
 $1 \text{ m}/\text{ms} =$
1000 m/s

Snapshot #41:
Center of wave is 200
mm (scaled)
time is 400 mcs (scaled)



ModelRecInf_0.5

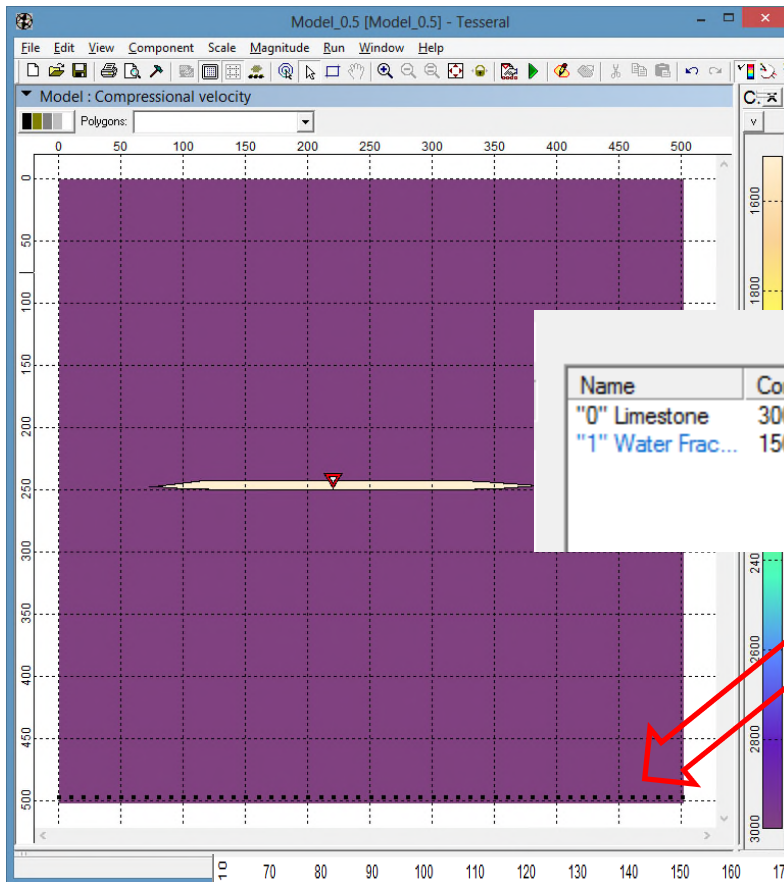
Case #5

Signal Rikker, 1MHz (scaled)

Pressure

Signal Rikker, 20MHz (scaled)

Pressure



Scaling:

1m -> 1 mm

1Hz -> 1MHz

1ms -> 1mcs

Signal:

Rikker 20Hz -> 20KHz

Recording rate

1ms -> 1mcs

Snapshot rate

10ms – 10mcs

Grid cell:

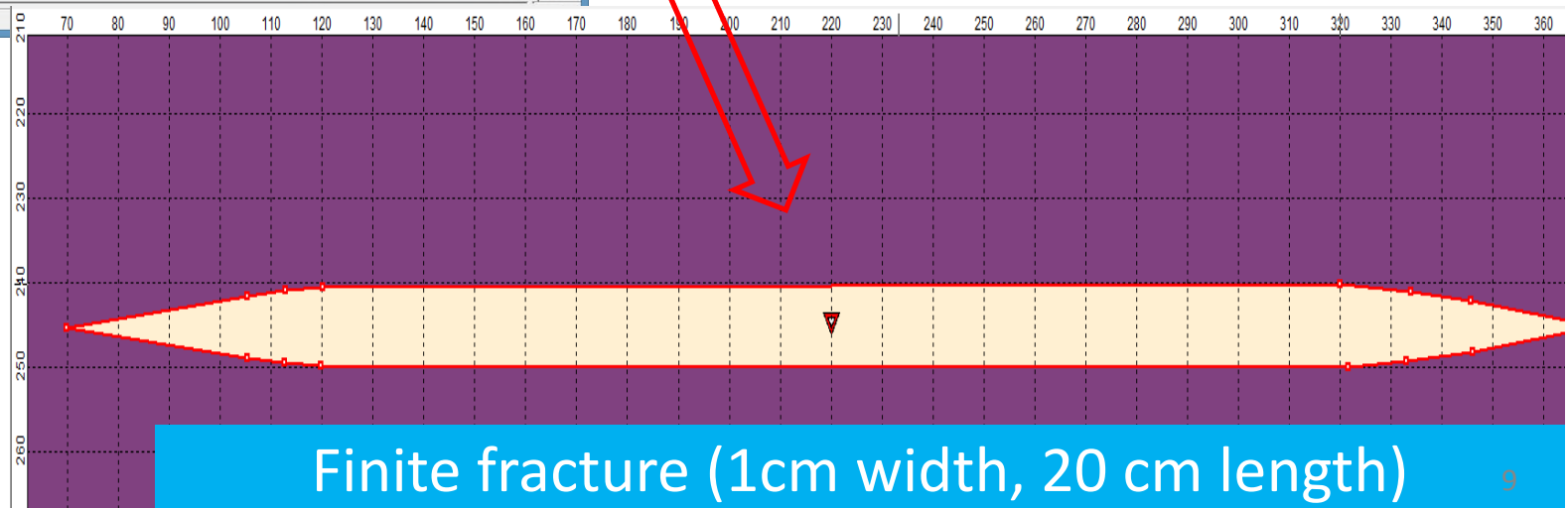
0.5m -> 0.5 mm

Fracture width

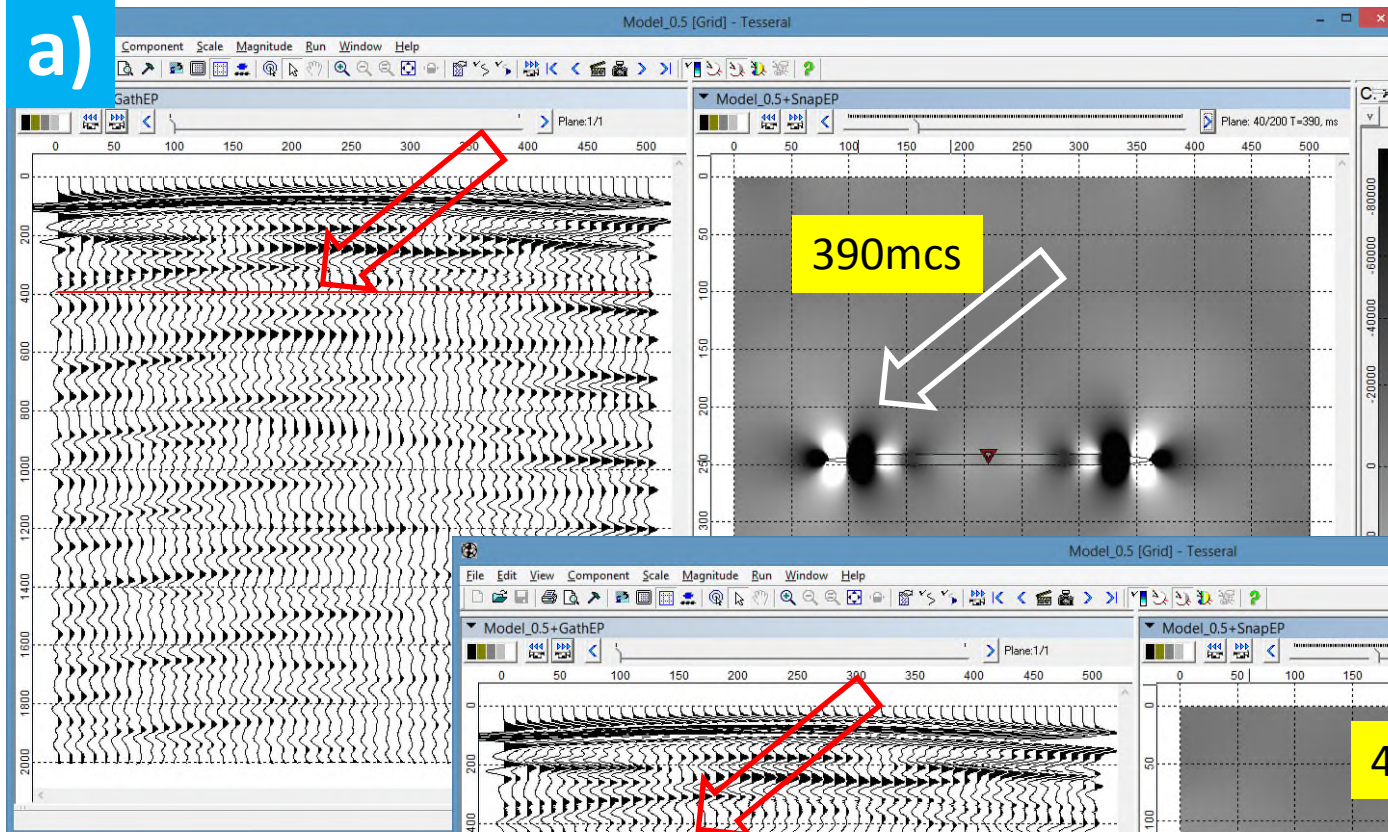
10 m -> 10 mm

Receiver line

Source



a)

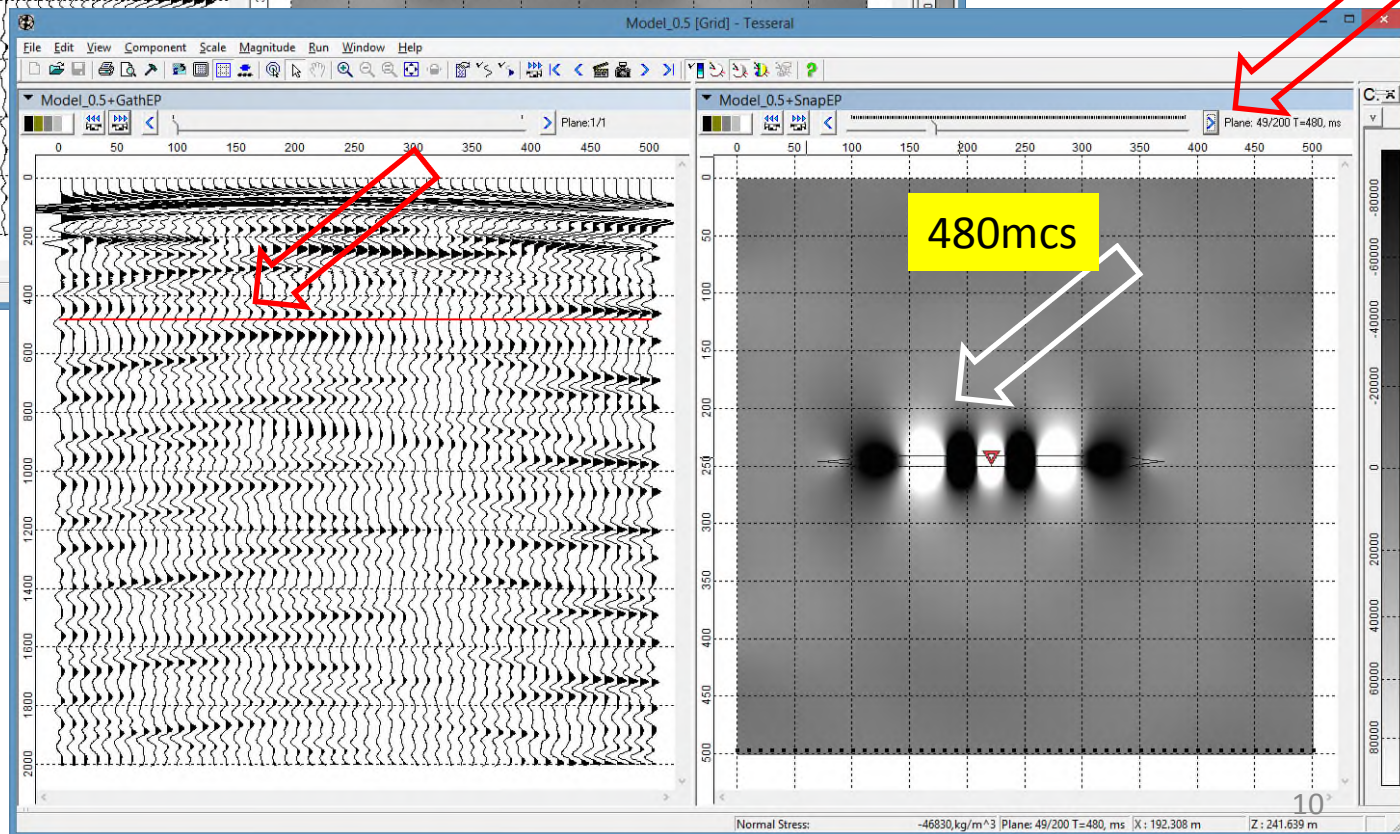


Elastic modeling

Pressure component

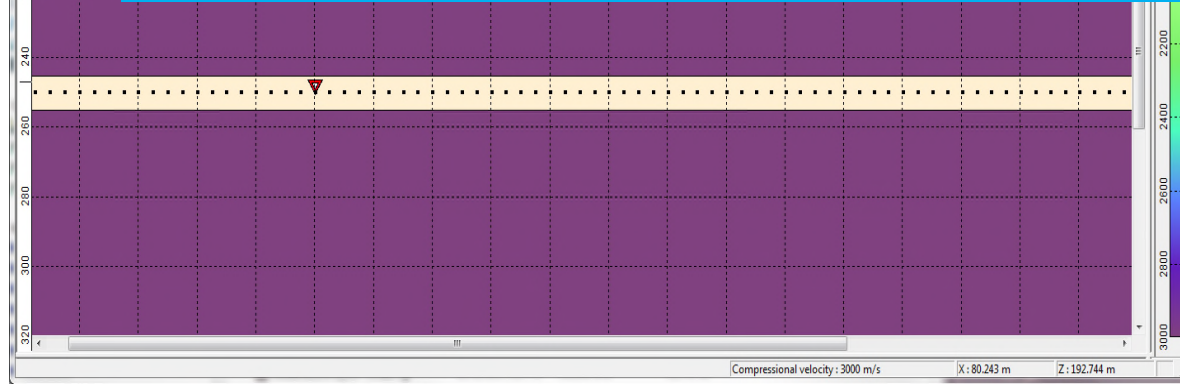
Rikker 20KHz

Propagation velocity
of “beans” can be
measured by series of
wavefield snapshots
(~195cm-110cm)/
(480mcs-390mcs)=
~85cm/90mcs=
~950m/s

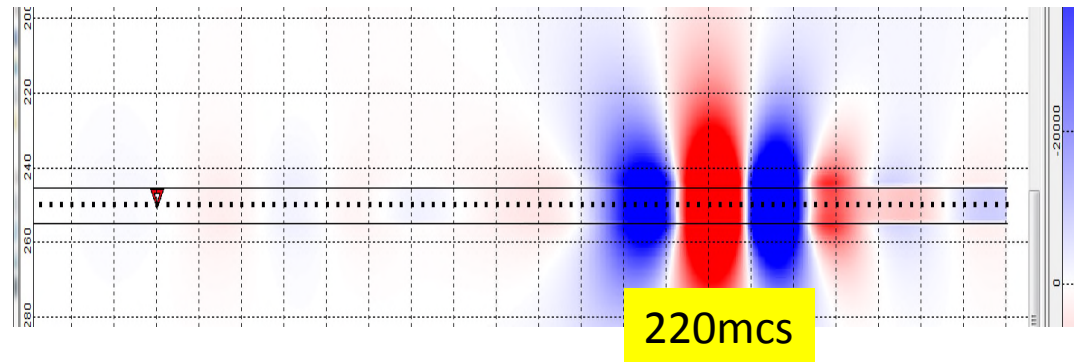
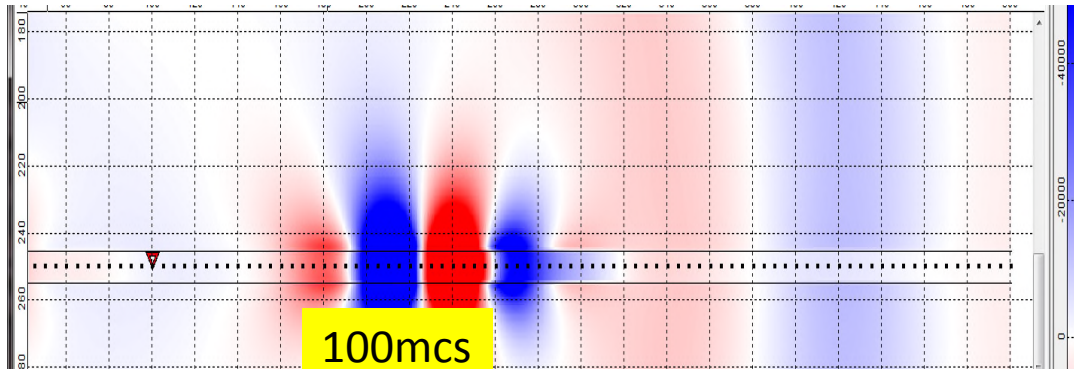


b)

Infinite fracture (1cm width)



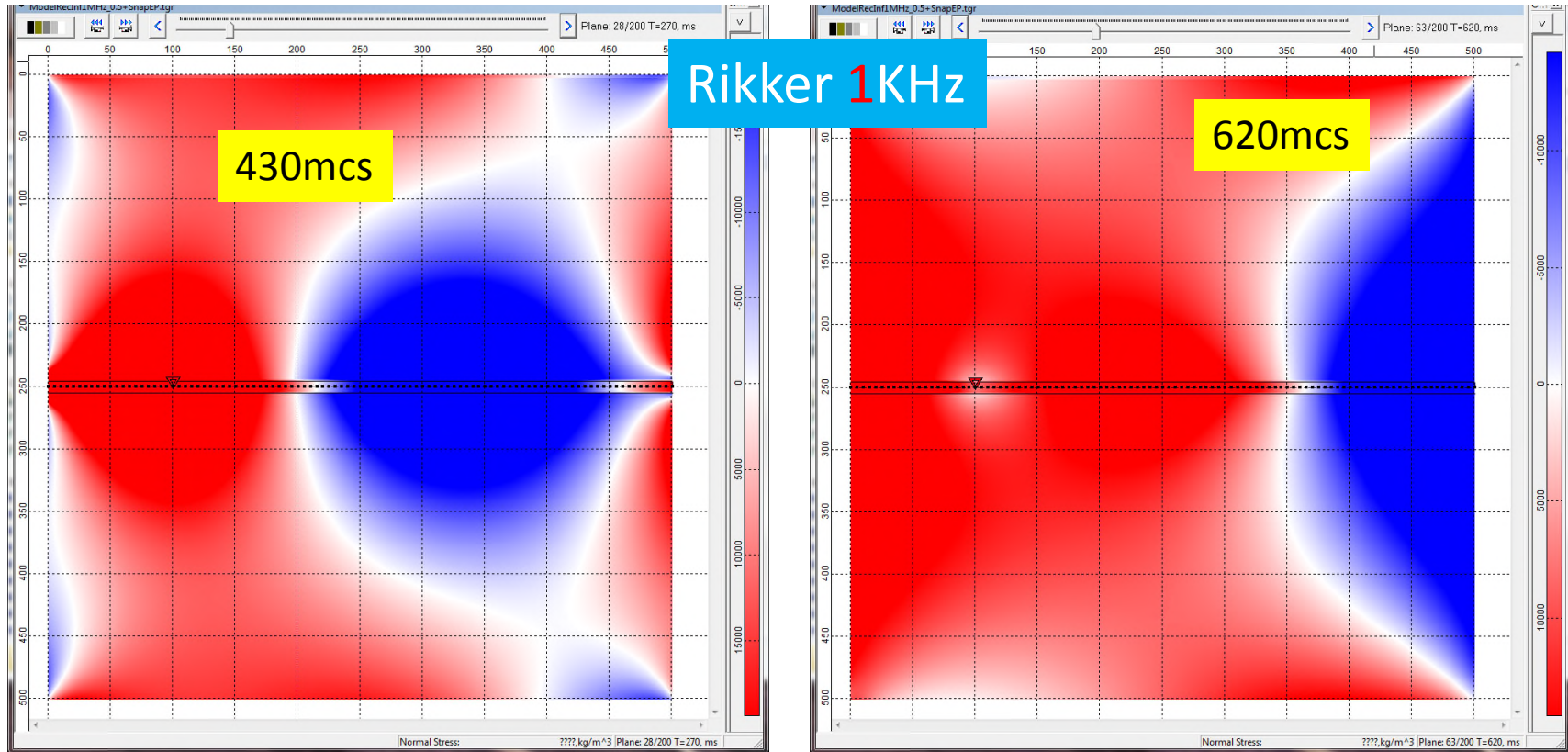
Ricker 20KHz



Propagation velocity
of “beans” can be
measured by series of
wavefield snapshots
(~360cm-240cm)/
(220mcs-100mcs)=
~120cm/110mcs=
~1090m/s

c)

Infinite fracture (1cm width)



Propagation velocity of “beans” can be
measured by series of wavefield snapshots
(~350cm-250cm)/
(620mcs-430mcs)=
~100cm/190mcs= **~530m/s**

By analytical formulae:

For a model $V_p=3000\text{m/s}$, $V_s=1625\text{m/s}$,
Density= 2.2g/cm^3 and fracture thickness = 1
cm filled with water, the exact solution gives

$V_k= 137\text{ m/s}$ for 10 Hz,

$V_k= 601\text{ m/s}$ for 1 KHz, (c)

$V_k= 1212\text{ m/s}$ for 20 KHz (a,b)

By numerical modeling experiments:

Model as above

a) fracture length 20 cm, Rikker 20 KHz:

(~195cm-110cm)/

(480mcs-390mcs)=

~85cm/90mcs= ~950m/s

b) “infinite” fracture length, Rikker 20 KHz

(~360cm-240cm)/

(220mcs-100mcs)=

~120cm/110mcs= ~1090m/s

c) “infinite” fracture length, Rikker 1 KHz

(~350cm-250cm)/

(620mcs-430mcs)=

~100cm/190mcs= ~530m/s

Summary

Comparison of velocity values provided and obtained by numerical modeling shows that “numerical” velocities are ~88-90% of the theoretical ones which is quite within used allowable numerical assumptions:

- ✓ Rikker wavelet with particular peak frequency (e.g. 1, 20 KHz) actually contain (amplitude spectrum) a band of frequencies and it may be a cause of discrepancies between theoretical and “numerical” velocities.

